

# Preview

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- **String**

- String is a simple array of chars (characters)
- String is one-dimensional array of char
- The null character ‘\0’ must be included at the end of String
- Various built-in functions are provided for String function

# String Operation

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- **Length: LENGTH (string)**  
e.g.- LENGTH('Mark Zuckerberg')= 15
- **Substring: SUBSTRING(string, initial, length)**  
e.g.- SUBSTRING('Impossible is a word found in coward's dictionary',0,20) = Impossible is a word
- **Indexing: INDEX(string, pattern)**  
e.g.- INDEX('He is wearing glasses', 'ear')= 7
- **Concatenation: String1//String2**  
e.g.- 'To be or not to be'//'; this is the question.'= To be or not to be, this is the question

# String Operation

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- **Word Processing-**

**Insertion: INSERT(string, position, string)**

e.g.- INSERT('ABCDEIJKL',5,'FGH')=  
ABCDEF~~GHIJKL~~

**Deletion: DELETE(string, position, length)**

e.g.- DELETE('ABCDEFGH', 4, 2)= ABCDGH

# String Operation

– **Replacement: REPLACE(string, pattern1, pattern2)**

e.g.- REPLACE('XABYABZ', 'AB', 'c')= XCYABZ

REPLACE function can be executed by using the following three steps-

1.  $K := \text{INDEX}(\text{string}, P1)$
2.  $T := \text{DELETE}(\text{string}, K, \text{LENGTH}(P1))$
3.  $\text{INSERT}(T, K, P1)$

– So, the algorithm is-

A text T and patterns P and Q are in memory. This algorithm replaces every occurrence of P in T by Q.

1. [Find index of P.] Set  $K := \text{INDEX}(T, P)$ .
2. Repeat while  $K \neq 0$ :
  - (a). [Replace P by Q.] Set  $T := \text{REPLACE}(T, P, Q)$ .
  - (b). [Update index.] Set  $K := \text{INDEX}(T, P)$ .
- [End of loop.]
3. Write: T.
4. Exit.

# String Operation

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- Pattern Matching:

Pattern matching is the problem of deciding whether or not a given string pattern  $P$  appears in a text.

Widely used in word processing.

- So, a basic algorithm is-

(Pattern Matching)  $P$  and  $T$  are strings with lengths  $R$  and  $S$ , respectively, and are stored as arrays with one character per element. This algorithm finds the INDEX of  $P$  in  $T$ .

1. [Initialize.] Set  $K := 1$  and  $MAX := S - R + 1$ .
2. Repeat Steps 3 to 5 while  $K \leq MAX$ :
3.     Repeat for  $L = 1$  to  $R$ : [Tests each character of  $P$ .]  
      If  $P[L] \neq T[K + L - 1]$ , then: Go to Step 5.  
      [End of inner loop.]
4.     [Success.] Set  $INDEX = K$ , and Exit.
5.     Set  $K := K + 1$ .  
      [End of Step 2 outer loop.]
6. [Failure.] Set  $INDEX = 0$ .
7. Exit.

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## Deletion: DELETE(string, position, length)

Algorithm for deletion -

A text  $T$  and a pattern  $P$  are in memory. This algorithm deletes every occurrence of  $P$  in  $T$ .

1. [Find index of  $P$ .] Set  $K := \text{INDEX}(T, P)$ .
2. Repeat while  $K \neq 0$ :
  - (a) [Delete  $P$  from  $T$ .]  
Set  $T := \text{DELETE}(T, \text{INDEX}(T, P), \text{LENGTH}(P))$
  - (b) [Update index.] Set  $K := \text{INDEX}(T, P)$ .[End of loop.]
3. Write:  $T$ .
4. Exit.

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## Deletion example-

a) Suppose Algorithm 3.1 is run with the data

$$T = XABYABZ, \quad P = AB$$

Then the loop in the algorithm will be executed twice. During the first execution, the first occurrence of  $AB$  in  $T$  is deleted, with the result that  $T = XYABZ$ . During the second execution, the remaining occurrence of  $AB$  in  $T$  is deleted, so that  $T = XYZ$ . Accordingly,  $XYZ$  is the output.

Suppose Algorithm 3.1 is run with the data

$$T = XAAABBBY, \quad P = AB$$

Observe that the pattern  $AB$  occurs only once in  $T$  but the loop in the algorithm will be executed three times. Specifically, after  $AB$  is deleted the first time from  $T$  we have  $T = XAABBY$ , and hence  $AB$  appears again in  $T$ . After  $AB$  is deleted a second time from  $T$ , we see that  $T = XABY$  and  $AB$  still occurs in  $T$ . Finally, after  $AB$  is deleted a third time from  $T$ , we have  $T = XY$  and  $AB$  does not appear in  $T$ , and thus  $\text{INDEX}(T, P) = 0$ . Hence  $XY$  is the output.